

Network Homework 2

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3. UDP and TCP use 1s complement for their checksums. Suppose you have the following three 8-bit bytes: 01010011, 01010100, and 01110100. What is the 1s complement of the sum of these 8-bit bytes? Show all work. Why is it that UDP takes the 1s complement of the sum; that is, why not just use the sum? With the 1s complement scheme, how does the receiver detect errors? Is it possible that a 1-bit error will go undetected? How about a 2-bit error?

Solution:

(1) Compute the sum:

$$01010011 + 01010100 + 01110100 = 00010001$$

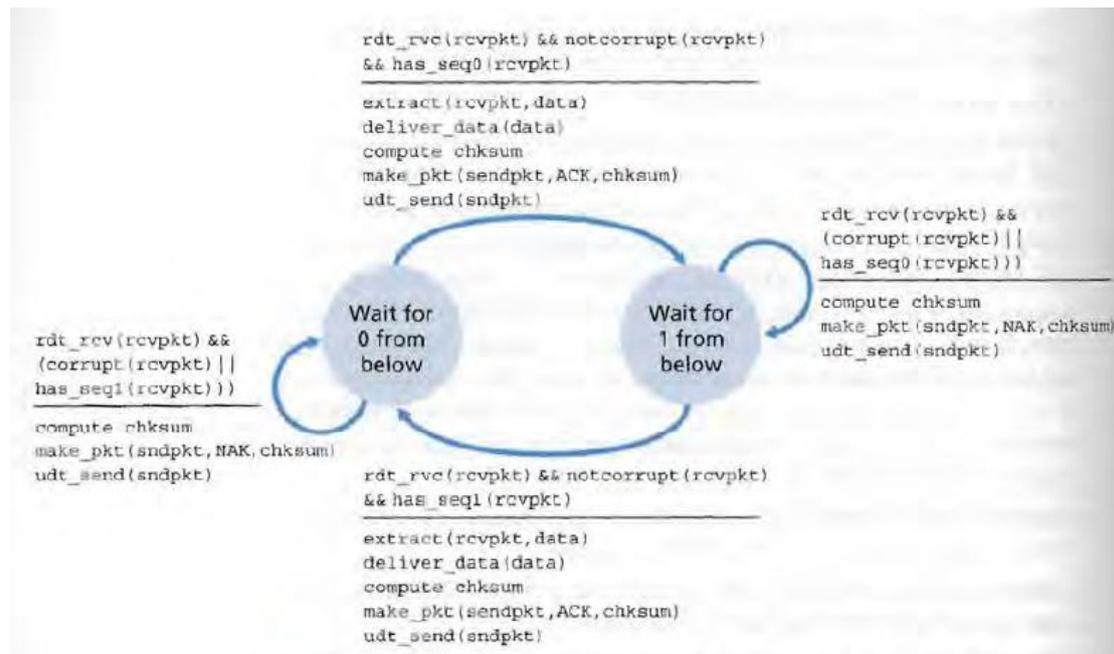
Compute the 1s complement:

$$(00010001)_{\text{complement}} = 11101110$$

(2) To detect errors, the receiver should add the three 8-bit bytes together with the checksum. If the sum contains a zero, there must be an error.

(3) All 1-bit error will be detected while 2-bit error can go undetected. For instance, if two bits on the same position of two different words change at the same time, the checksum remains.

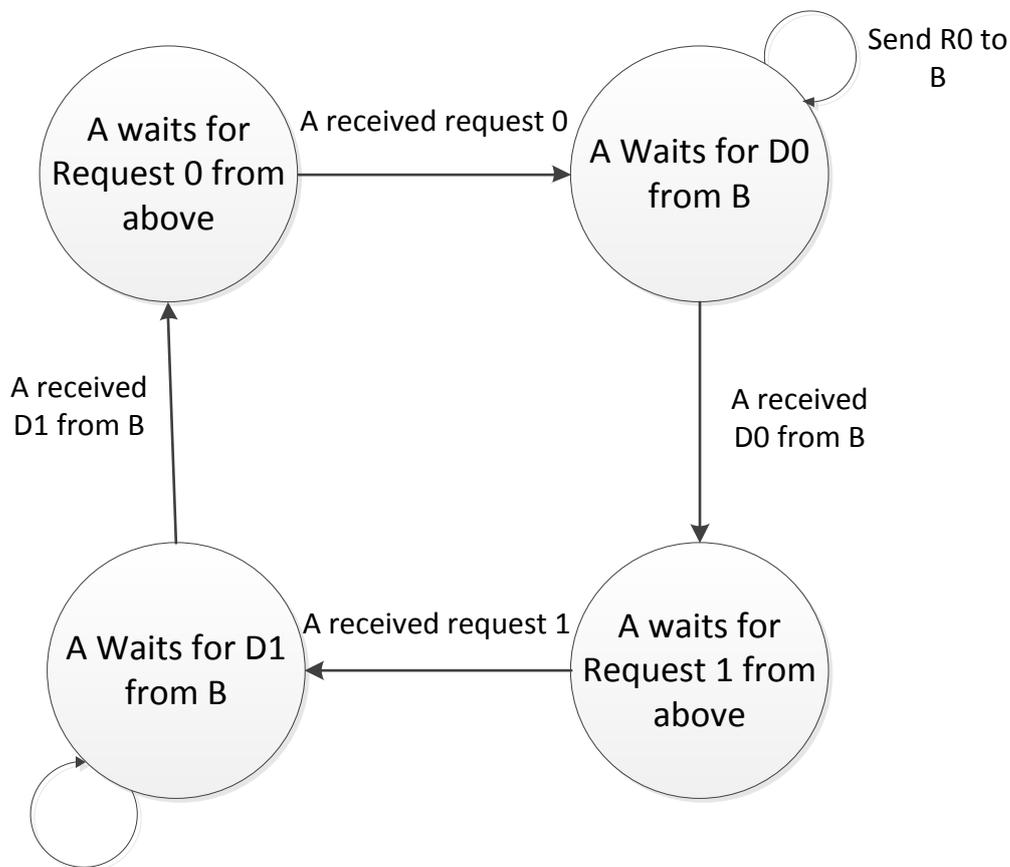
6. Consider our motivation for correcting protocol rdt 2.1. Show that the receiver, shown in Figure 3.57, when operating with the sender shown in Figure 3.11, can lead the sender and receiver to enter into a deadlock state, where each is waiting for an event that will never occur?



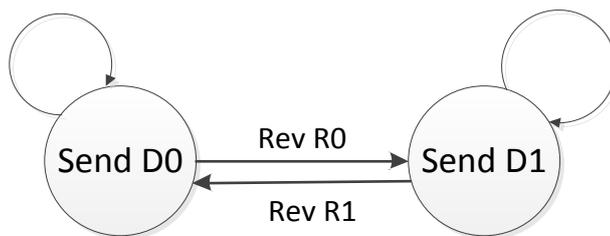
Solution:

message, we can use a 1-bit sequence number for the protocol.

For A:



For B:



21 Answer true or false to the following questions and briefly justify your answer:

- a. With the SR protocol, it is possible for the sender to receive an ACK for a packet that falls outside of its current window.
- b. With GBN, it is possible for the sender to receive an ACK for a packet that falls outside of its current window.
- c. The alternating-bit protocol is the same as the SR protocol with a sender and receiver window size of 1.
- d. The alternating-bit protocol is the same as the GBN protocol with a sender and receiver window size of 1.

Solution:

- a) True. Suppose the sender has a window size of 2 and sends packet 1,2 at 0ms. At 10ms, the receiver acknowledges packet 1,2. At 20ms, the sender times out and resends packet 1,2. At 30ms, the receiver receives packet 1,2 again and re-acknowledges 1,2. At 40ms the sender receives acknowledge of 1,2 and move the windows towards 3,4. At 60ms the sender receive the re-acknowledge of 1,2 again, but 1,2 are out of its current window.
- b) True. The same argument as a)
- c) True. When window size is 1, there won't be out-of-order packets within one window, a cumulative ACK is just an ordinary ACK in this situation.
- d) True. The same argument as c)

27 Consider the TCP procedure for estimating RTT. Suppose that $\alpha = 0.1$. Let $SampleRTT_1$ be the most recent sample RTT. Let $SampleRTT_2$ be the next most recent sample RTT, and so on.

- a. For a given TCP connection, suppose four acknowledgments have been returned with corresponding sample RTTs $SampleRTT_4$, $SampleRTT_3$, $SampleRTT_2$ and $SampleRTT_1$. Express $EstimatedRTT$ in terms of the four sample RTTs.**
- b. Generalize your formula for n sample RTTs.**
- c. For the formula in part (b) let n approach infinity. Comment on why this averaging procedure is called an exponential moving average.**

Solution:

- a) Denote $EstimatedRTT_k$ for the estimate RTT after the k_{th} sample.

Then

$$EstimatedRTT_1 = SampleRTT_1$$

$$EstimatedRTT_2 = \alpha SampleRTT_1 + (1 - \alpha) SampleRTT_2$$

$$EstimatedRTT_3 = \alpha SampleRTT_1 + (1 - \alpha)[\alpha SampleRTT_2 + (1 - \alpha) SampleRTT_3]$$

$$EstimatedRTT_4$$

$$= \alpha SampleRTT_1 + (1 - \alpha)\alpha SampleRTT_2$$

$$+ (1 - \alpha)^2 \alpha SampleRTT_3 + (1 - \alpha)^3 \alpha SampleRTT_3$$

- b) By induction, we arrive at

$$EstimatedRTT_n = \alpha \sum_{i=1}^{n-1} (1 - \alpha)^i SampleRTT_i + (1 - \alpha)^n SampleRTT_n$$

Take $\alpha = 0.1$

$$EstimatedRTT_n = \frac{1}{9} \sum_{i=1}^{n-1} 0.9^i SampleRTT_i + 0.1^n SampleRTT_n$$

- c) As n goes to infinity,

$$EstimatedRTT_\infty = \frac{1}{9} \sum_{i=1}^{\infty} 0.9^i SampleRTT_i$$

The coefficient 0.9^i decrease exponentially as time goes by which lead the method to be called an exponential moving average.